

The need for quantitative bias analysis in HIV/AIDS research: The case of nevirapine vs. efavirenz on virologic failure in Johannesburg, South Africa

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Introduction

- **Observational studies are prone to bias**
 - Confounding, selection bias and information bias
- **While random error is nearly always quantified, systematic error typically only speculated about**
 - Without quantification of magnitude/direction of bias, difficult to speculate on total error, can lead to erroneous conclusions
- **Quantitative bias analysis (QBA) is an attempt to overcome this problem by using assumptions about sources of bias in a study and simulating the data we expect in the absence of the bias**
 - Use probabilistic Monte Carlo simulations to create uncertainty intervals (UI) accounting for total error (systematic and random)
 - Used Excel™ <https://sites.google.com/site/biasanalysis/>

Primary Study

- **Studied association between nevirapine (NVP) vs. efavirenz (EFV) in first-line ART and risk of one-year virologic failure at Themba Lethu, Johannesburg, South Africa**
 - Excluded pregnant women, those with TB
 - Virologic failure defined as 2 viral loads >1000 copies/ml
 - 711 initiated NVP and 9355 EFV, 3.5% (N=353) failure
 - Conventional analysis, those given NVP were 1.83-times (95%CI: 1.34-2.49) more likely to fail than those given EFV
- **Results are subject to bias**
 - Unmeasured confounding if sicker patients prescribed NVP
 - Non-differential exposure misclassification in recording regimens
 - Differential outcome misclassification if patients given NVP have better surveillance for failure than those given EFV

Bias Analysis Methods

- **Specify distributions for each bias parameters**
 - Sensitivity, specificity, strength/distribution of the confounder
 - Parameters defined as beta or trapezoidals
- **For each bias, draw randomly from distribution**
 - Use simple formulas* to “correct” the association between NVP vs. EFV on failure as if the source of bias had been absent
- **Monte Carlo simulation - repeat 40,000 times each time saving the corrected estimate of effect**
 - Summarize corrections using median and 2.5th-97.5th percentiles
 - Combine each estimate corrected for systematic error with random error by subtracting a randomly sampled standard normal deviate times the conventional standard error

Bias Parameters

Description	Parameter	Mean	Distribution
Unmeasured Confounder			
Moderate strength with higher prevalence in those given NVP than EFV that would increase the appearance of effect of NVP	Pr(C+ NVP)	65%	beta (66, 36)
	Pr(C+ EFV)	30%	beta (31, 71)
	RR _{C-Failure}	3.0	trap(min=2, mode1=2.5, mode2=3.5, max=4))
Non-differential Exposure Misclassification (NVP)			
Mild misclassification from data entry errors	Se/Sp	98%	beta(100, 2))
Differential Outcome Misclassification (Virologic Failure)			
Perfect specificity but higher sensitivity in those given NVP than EFV if better surveillance for failure in those given NVP	Se NVP	99%	beta(101,1))
	Se EFV	82%	beta (84, 18))
	Sp	100%	None

Formulas for corrections

- Misclassification (exposure)

- $$A = [a - D+ * (1 - SP_{D+})] / [SE_{D+} - (1 - SP_{D+})]$$
- $$C = [c - D- * (1 - SP_{D-})] / [SE_{D-} - (1 - SP_{D-})]$$
- $$B = D+ - A \quad \text{and} \quad D = D- - C$$

	"Truth"		Observed	
	E+	E-	E+	E-
D+	A	B	a	b
D-	C	D	c	d
	M	N	m	n

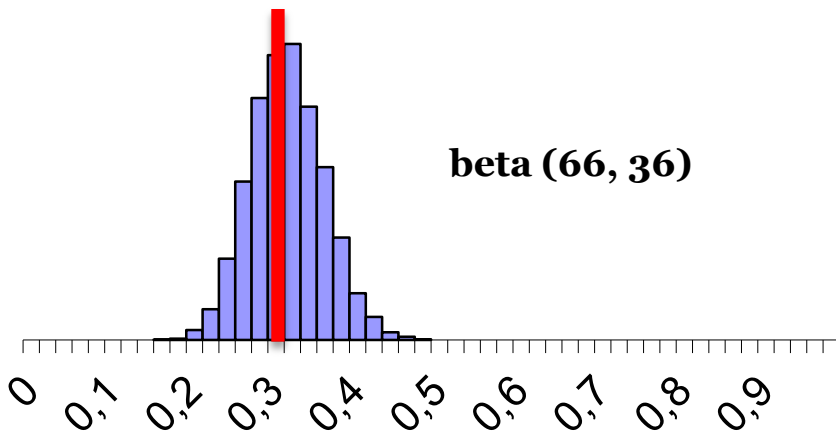
- Confounder

- $$N_1 = n * p_0 \quad \text{and} \quad M_1 = m * p_1$$
- $$N_0 = n - N_1 \quad \text{and} \quad M_0 = m - M_1$$
- $$A_1 = [RR_{CD} * M_1 * a] / [RR_{CD} * M_1 + m - M_1]$$
- $$B_1 = [RR_{CD} * N_1 * b] / [RR_{CD} * N_1 + n - N_1]$$
- $$C_1 = M_1 - A_1, \quad D_1 = N_1 - B_1$$
- $$C_0 = c - C_1 \quad \text{and} \quad D_0 = d - D_1$$
- Where p_1 and p_0 = prev confounder in C+ and C-

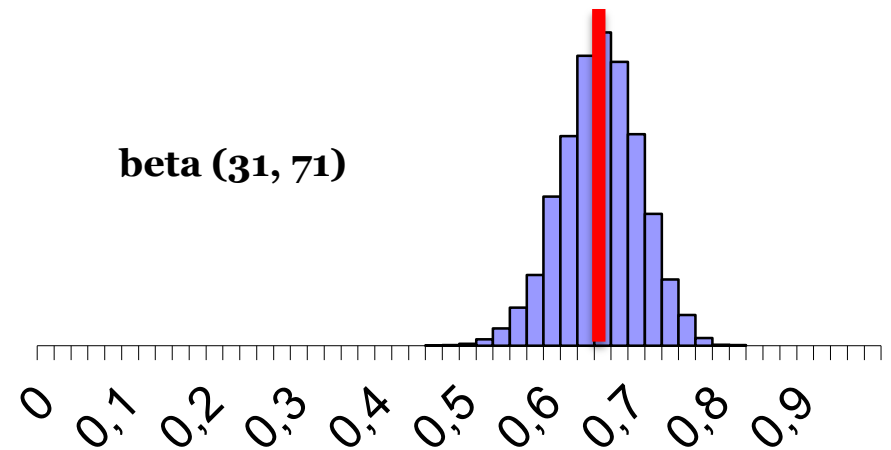
	Observed		Unmeasured Confounder			
	Total		C ₁		C ₀	
	E ₁	E ₀	E ₁	E ₀	E ₁	E ₀
D ₁	a	b	A ₁	B ₁	A ₀	B ₀
D ₀	c	d	C ₁	D ₁	C ₀	D ₀
	m	n	M ₁	N ₁	M ₀	N ₀

Example: Unmeasured Confounder

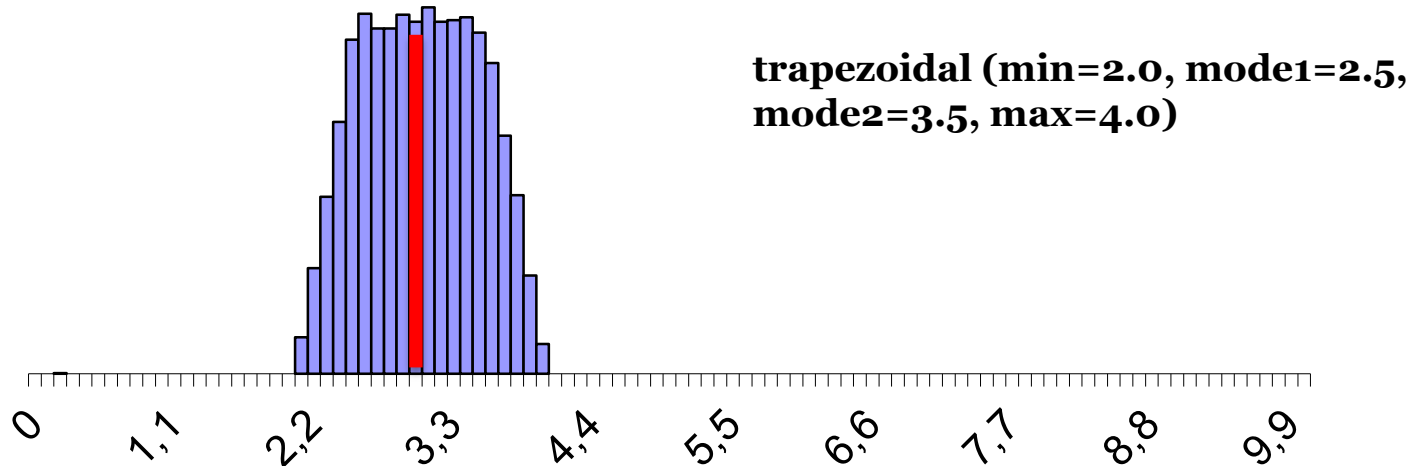
Pr(C+|EFV)



Pr(C+|NVP)



RR(C-Failure)



<https://sites.google.com/site/biasanalysis/>

PROBABILISTIC SENSITIVITY ANALYSIS UNMEASURED CONFOUNDING

Chapter 8

This spreadsheet can be used to conduct a probabilistic sensitivity analysis to correct for unknown of unmeasured confounding and random error simultaneously. The example follows the example in chapter 8.

Input Bias Parameters				Error	Instructions	
	alpha	beta	Pos	N	Mean	Error
p ₁	66.00	36.00	65	100	0.65	Corr p
p ₀	31.00	71.00	30	100	0.30	0.00
RR _{DC}	2.00	2.50	3.50		4.00	
Sims	50000					

Enter distributions for the bias parameters in the blue cells to the left and the crude data in the blue cells below. Cells in green give the results after adjusting for the unmeasured confounder. Note that white cells are expected values and therefore do not have to be integers.

Run Simulation

Variable Names	Exposure	NVP
Confounder	Unknown	Viral failure

Data (Enter Crude NVP-Viral failure Data in Blue Cells)

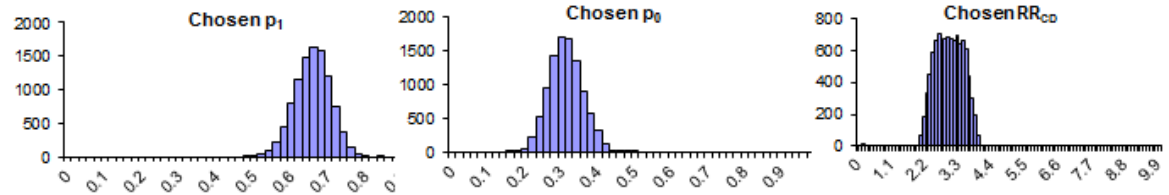
	Total		Unknown +		Unknown -	
	NVP +	NVP -	NVP +	NVP -	NVP +	NVP -
Viral failure +	43	310	36.9	168.7	6.1	141.3
Viral failure -	668	9045	409.2	2157.6	258.8	6887.4
Total	711	9355	446.2	2326.3	264.8	7028.7

Crude and Adjusted Measures of NVP-Viral failure Relationship

Crude	Measure (95% CI)	Adjusted SMR	Chosen Values
RR (NVP-Viral)	1.83 (1.34 - 2.49)	RR (NVP-Viral failure)	1.14
OR (NVP-Viral)	1.88 (1.35 - 2.61)	OR (NVP-Viral failure)	1.15
			p ₁ 62.8%
			p ₀ 24.9%
			RR _{DC} 3.61

NVP-Viral failure Relationship Adjusted for Unknown

RR Simulation Results (N=20001)		OR Simulation Results (N=20001)		Illegal Values
Analysis	Median (2.5 th -97.5 th percentile)	Analysis	Median (2.5 th -97.5 th percentile)	
Conventional	1.83 (1.34 - 2.49)	Conventional	1.88 (1.35 - 2.61)	
Systematic	1.29 (1.09 - 1.49)	Systematic	1.31 (1.09 - 1.53)	
Total Error	1.28 (0.91 - 1.82)	Total Error	1.31 (0.9 - 1.89)	



Calculations

OR	1.15	RR	1.14
SE(LN(OR))	0.1676	SE(LN(RR))	0.158
Negative cell	FALSE		
Correlation			
u	0.905		
e1	0.334		
e0	0.109		
t	2.253		
f1	-0.691		
f0	-2.099		
p1	0.334		
p0	0.109		

Single Iteration

Syst Error	+ Rand Error	Chosen Bias Parameters				
SMR _{RR}	SMR _{OR}	SMR _{RR}	SMR _{OR}	p1	p0	RR _{DC}
1.14	1.15	0.99386	1.161	62.8%	24.9%	3.6
1.3647097	1.39041	1.3531	1.338	0.706	0.314	2.1792
1.2301847	1.24825	1.0472	1.364	0.64	0.289	3.2837
1.1309903	1.14071	1.3583	1.437	0.66	0.173	2.6148
1.2540581	1.27417	1.2653	1.236	0.614	0.28	3.195
1.0152387	1.01636	0.9652	1.038	0.766	0.238	3.3579
1.130837	1.14103	1.2703	1.177	0.688	0.284	3.6656
1.4117767	1.44268	1.3235	1.333	0.599	0.312	2.498
1.2005058	1.21621	1.2822	1.167	0.644	0.273	3.2787
1.2493755	1.26808	1.8166	1.061	0.707	0.337	3.1364
1.1434549	1.15425	0.9173	1.028	0.704	0.267	3.152
1.1528667	1.16441	1.2191	1.195	0.676	0.24	2.9663
1.4874078	1.52613	1.2134	1.393	0.593	0.396	3.1072
1.2752627	1.29647	1.4865	1.21	0.646	0.304	3.0496
1.3769474	1.40452	1.6212	1.278	0.657	0.325	2.4385
1.2515038	1.27136	1.153	1.349	0.628	0.292	3.2638
1.4306732	1.46286	1.5095	1.508	0.581	0.301	2.4005

1.442333	1.47652	1.2678	1.697	0.541	0.295	2.5812
1.1166177	1.1253	1.0382	0.664	0.747	0.299	3.4646
1.2986327	1.32311	1.206	1.479	0.606	0.322	3.6451
1.1907452	1.2056	1.1845	1.288	0.631	0.245	3.0836
1.2284893	1.24686	1.1741	1.059	0.67	0.285	2.9610

Conventional and QBA Results

Analysis	Risk Ratio (95% Uncertainty Interval)	Interval accounts for:
Conventional:		
Crude	1.83 (1.34 – 2.49)	Random Error
Adjusted*	1.70 (1.24 – 2.33)	Random Error

* Adjusted for baseline CD4 count, age at ART initiation, and sex

Conclusions

- **Bias is common in observational epidemiology**
 - Quantitative bias analysis can be implemented in freely available software
 - Can reduce overconfidence by appropriately shifting point estimates, widening intervals
 - We used Excel™ with summary data but can be done in SAS, etc. with record level data
- **For analysis of the association between NVP vs. EFV and treatment failure**
 - Our results suggest while we likely overestimated the effect of nevirapine on failure, some effect remains
 - However, we should reduce our confidence in study findings

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